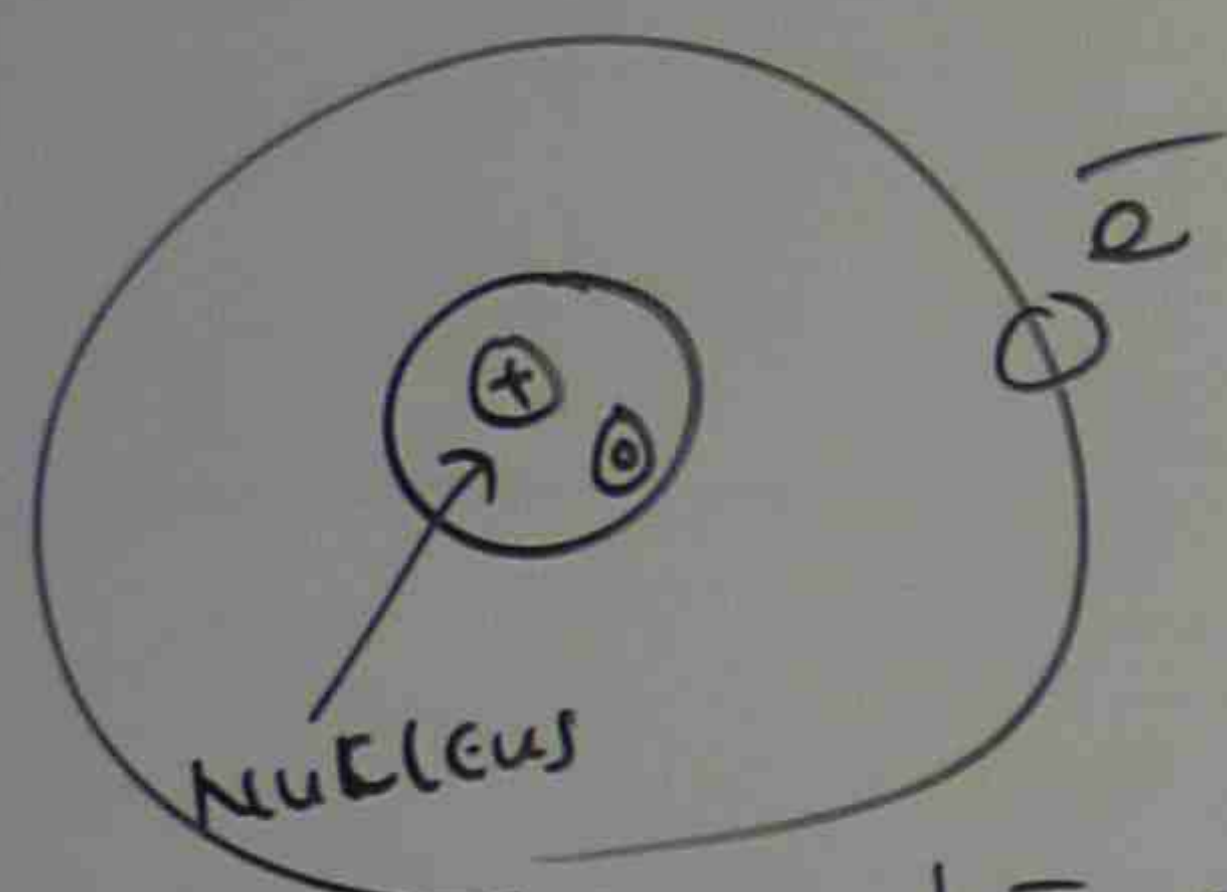
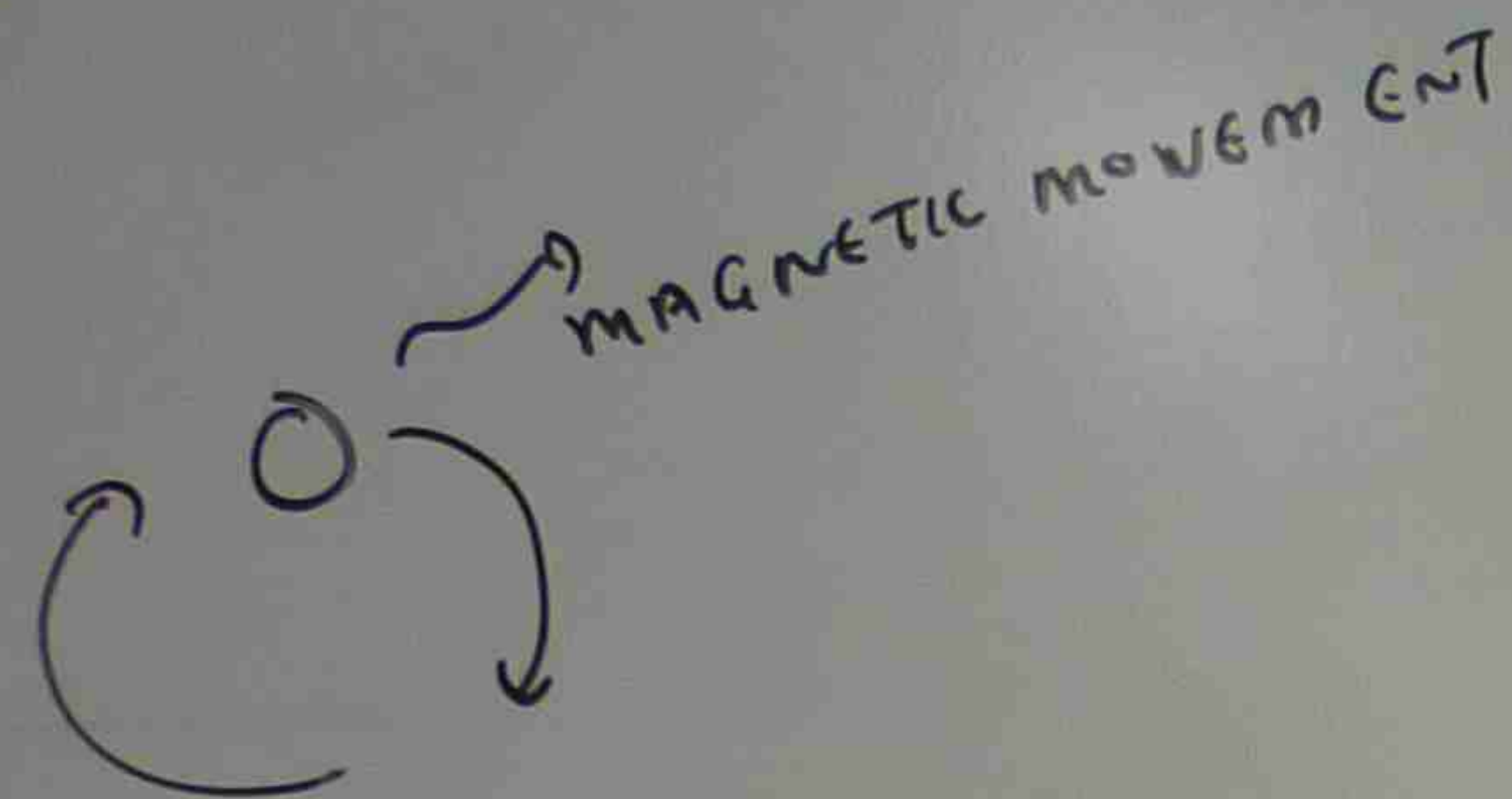
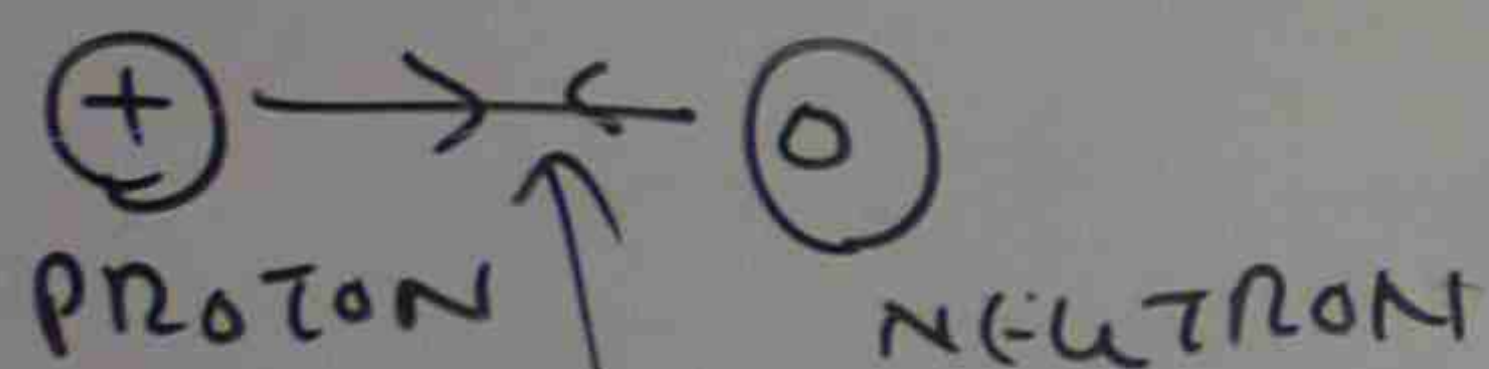


NUCLEAR SPIN AND MAGNETISM



⊕ - PROTON
⊙ NEUTRON

e^- - ELECTRON



BINDING FORCE
STRONG FORCE

THE NUCLEAR FORCE THAT BINDS
NEUTRONS AND PROTONS IS THE SECONDARY
(OR) SPILL OVER EFFECT THAT BINDS

QUARKS TOGETHER TO FORM PROTON AND
NEUTRON

ph WHAT IS THE DENSITY OF NUCLEAR VOLUME?

$$\rho = \frac{A m}{\frac{4}{3} \pi r^3}$$

THE MASS OF A NUCLEUS CONTAINING 'A' NUCLEONS
IS $A m$

r = RADIUS OF NUCLEUS

$$r = r_0 A^{1/3}$$

$$r^3 = r_0^3 A$$

$$\rho = \frac{A m}{\frac{4}{3} \pi r_0^3 A} = \frac{m}{\frac{4}{3} \pi r_0^3}$$

$$= \frac{1.67 \times 10^{-27} \text{ kg}}{\frac{4}{3} \times 3.1416 \times (1.2 \times 10^{-15})^3}$$

$$= 2 \times 10^7 \text{ kg/m}^3$$

BINDING ENERGY OF NUCLEON

Q. WHAT IS THE BINDING ENERGY PER NUCLEON FOR $^{120}_{50}\text{Sm}$?

$^{120}_{50}\text{Sm}$ nucleus \rightarrow 50 (SEPARATE PROTONS) + 70 (SEPARATE NEUTRONS)

$$50 (m_H c^2) + 70 (m_n c^2) - M_{\text{Sm}} c^2$$

$$50 (1.00725 \text{ u}) c^2 + 70 (1.008665 \text{ u}) c^2 - (119.902197 \text{ u}) c^2$$

$$1.095603 \text{ u} c^2$$

$$1.095603 \text{ u} \times$$

$$931.494013 \text{ MeV/u}$$

$$= 1020.5 \text{ MeV}$$

$$\text{BINDING ENERGY PER NUCLEON} = \frac{\text{BINDING ENERGY CHANGE}}{\text{ATOMIC NUMBER}}$$

$$= \frac{1020.5 \text{ MeV}}{120}$$

$$= 8.5 \text{ MeV/nucleon}$$

RADIO ACT

RADIO ACT

$$R = -\frac{dN}{dt}$$

$$R = R_0 e^{-\lambda t}$$

$$\lambda = \frac{\ln 2}{T_{1/2}}$$

$$t_0 = \text{INITIAL}$$

RATE OF

1 BECAUSE

HALF L

$$T_{1/2} =$$

$$\tau =$$

RADIO ACTIVE DECAY

RADIO ACTIVE DECAY RATE

$$R = -\frac{dN}{dt} = \lambda N_0 e^{-\lambda t}$$

$$R = R_0 e^{-\lambda t}$$

$$\lambda = \text{DECAY / DISINTEGRATION CONSTANT}$$

$t_0 = \text{INITIAL TIME}$

RATE OF DECAY

$$1 \text{ BECQUEREL} = 1 \text{ Bq}$$

$$= 1 \text{ DECAY / SEC}$$

HALF LIFE $T_{1/2}$

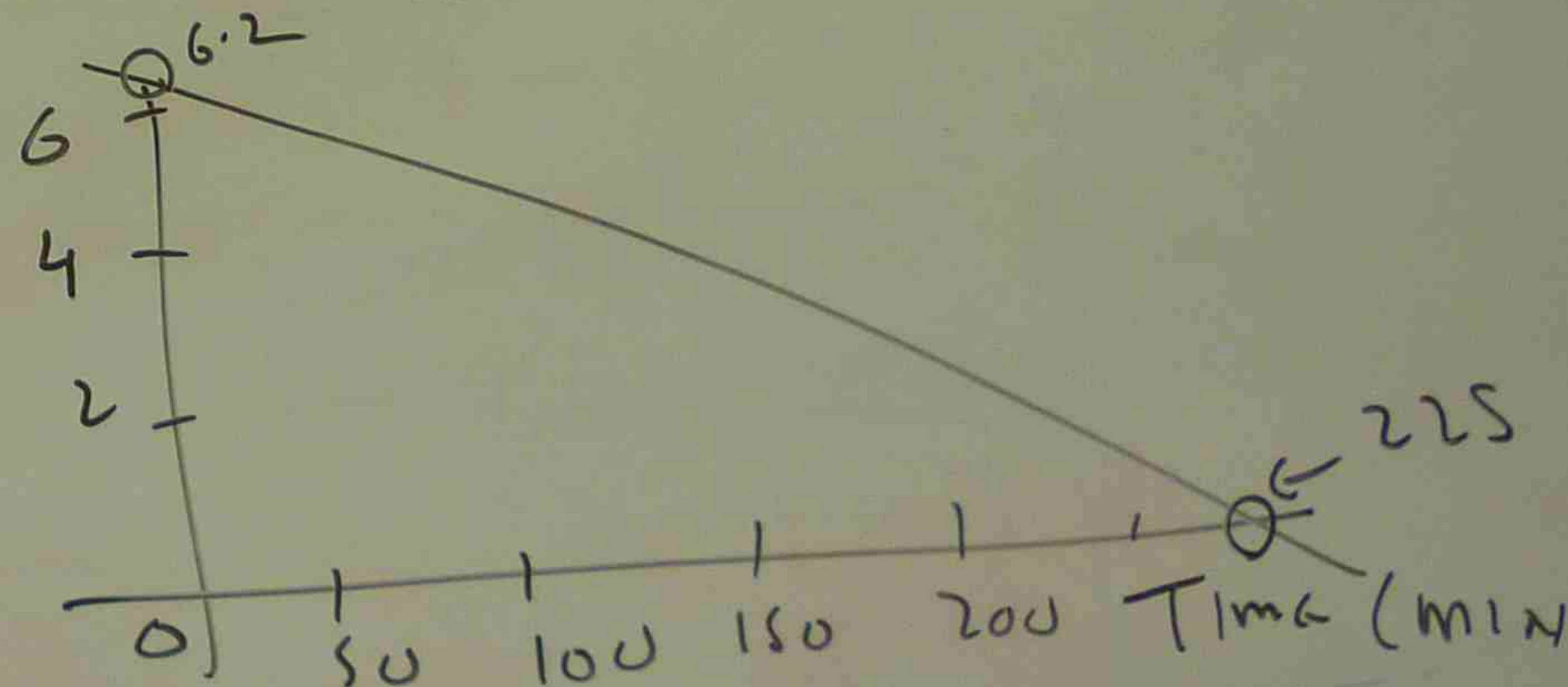
$$T_{1/2} = \tau \ln 2$$

$$\tau = \text{TIME CONSTANT}$$

PH THE TABLE THAT FOLLOWS SOME MEASUREMENTS OF THE DECAY RATE OF ^{128}I , A RADIO NUCLIDE OFTEN USED MEDICALLY AS A TRACER TO MEASURE THE RATE AT WHICH IODINE IS ABSORBED BY THE THYROID GLAND

TIME (MIN)	R (COUNTS/S)	TIME (MIN)	R (COUNTS/S)
4	392.2	132	10.9
36	161.4	164	4.56
68	65.5	196	1.86
100	26.8	218	1.00

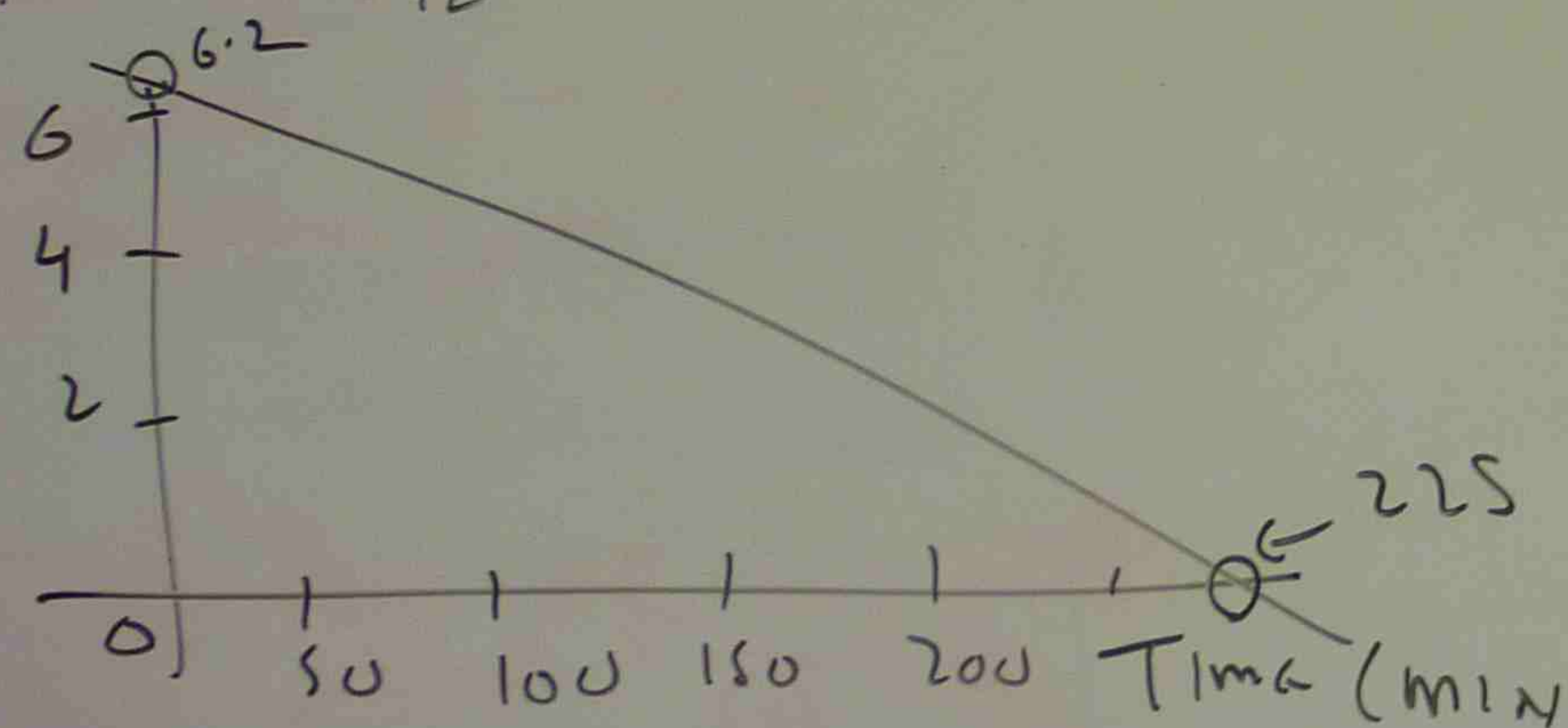
FIND THE DISINTEGRATION CONSTANT λ AND HALF LIFE $T_{1/2}$ FOR THIS RADIONUCLIDE



Q7 THE TABLE THAT FOLLOWS SOME MEASUREMENTS OF THE DECAY RATE OF ^{128}I , A RADIO NUCLIDE OFTEN USED MEDICALLY AS A TRACER TO MEASURE THE RATE AT WHICH IODINE IS ABSORBED BY THE THYROID GLAND

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68	65.5	196	1.86
100	26.8	218	1.00

FIND THE DIS INTEGRATION CONSTANT λ AND HALF LIFE $T_{1/2}$ FOR THIS RADIONUCLIDE



$$\ln R = \ln R_0 e^{-\lambda t} = \ln R_0 - \lambda t$$

$$\text{SLOPE} = \frac{0 - 6.2}{225 \text{ min} - 0} = -0.0276 \text{ min}^{-1}$$

$$-\lambda = -0.0276 \text{ min}^{-1}$$

$$\lambda = 0.0276 \text{ min}^{-1} = 1.7 \text{ h}^{-1}$$

$$T_{1/2} = \frac{\ln 2}{\lambda}$$

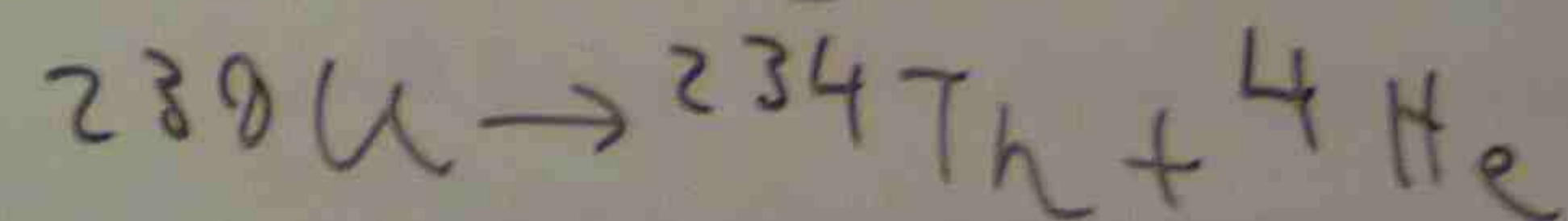
$$= \frac{1}{0.0276} \ln 2$$

$$= \frac{\ln 2}{0.0276} = 25 \text{ min}$$

ALPHA DECAY

WHEN A NUCLEUS UNDERGOES ALPHA DECAY, IT TRANSFORMS TO A DIFFERENT NUCLIDE BY EMITTING AN ALPHA PARTICLE

URANIUM ^{238}U ALPHA DECAY



$$e^{-\lambda t} = \ln R_0 + \ln e^{-\lambda t}$$

$$= \ln R_0 - \lambda t$$

$$\frac{d}{dt} = -0.0276 \text{ min}^{-1}$$

$$0.0276 \text{ min}^{-1} = 1.7 \text{ h}^{-1}$$

$$\ln 2$$

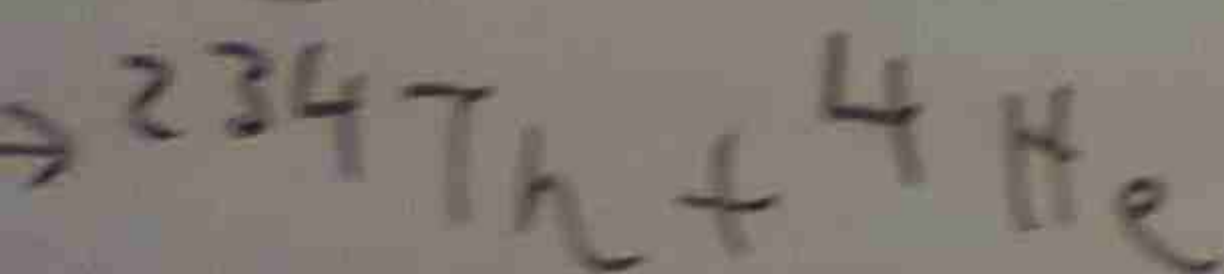
$$\ln 2$$

$$\frac{2}{276} = 25 \text{ min}$$

RAY

NUCLEUS UNDERGOES ALPHA TRANSFORMS TO A DIFFERENT EMITTING AN ALPHA

^{238}U ALPHA DECAY

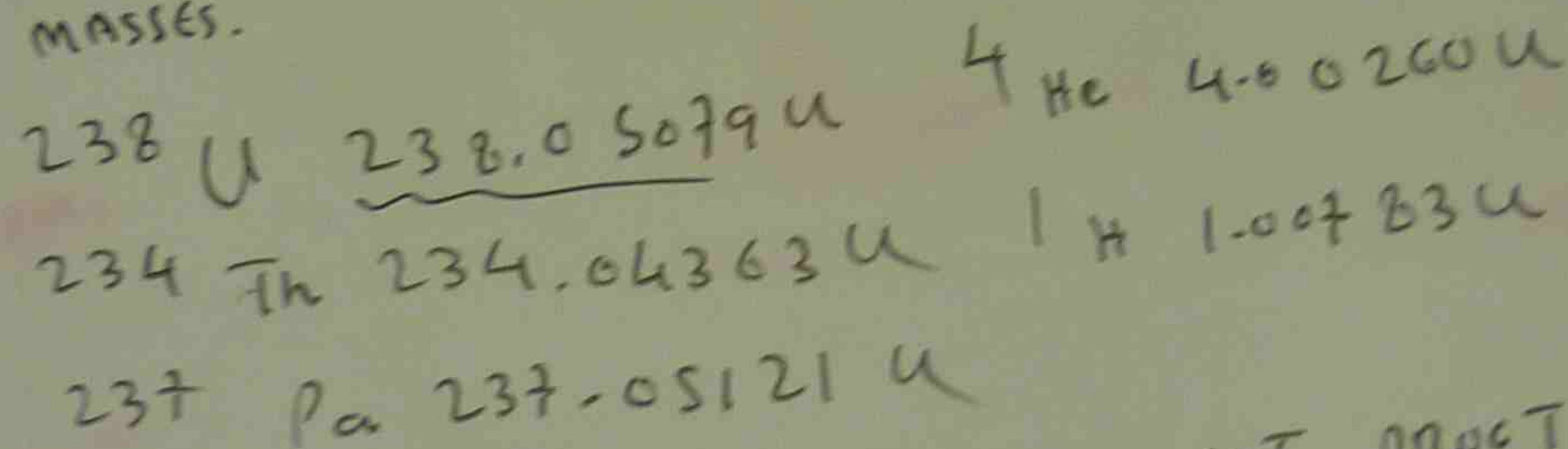


THE ENERGY RELEASED IN THE THE DECAY PROCESS

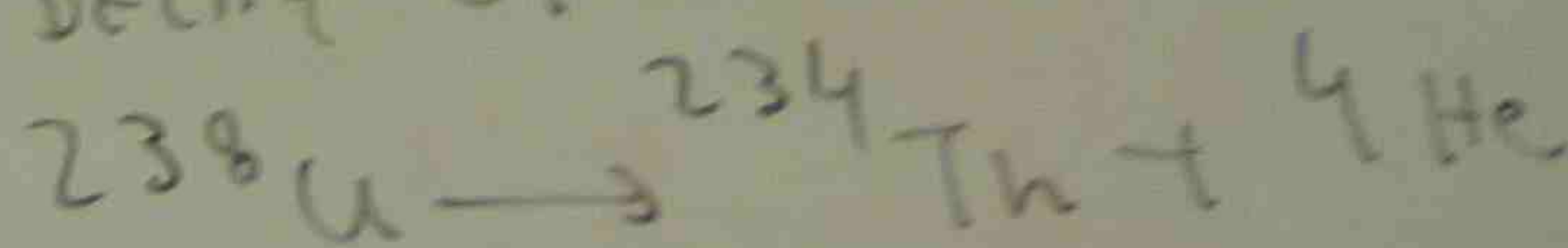
$$Q = m_i c^2 - m_f c^2$$

↑
DIS INTEGRATION ENERGY

PRO WE ARE GIVEN THE FOLLOWING ATOMIC MASSES.



Pa = SYMBOL FOR THE ELEMENT PROCTACTINIUM
(a) CALCULATE THE ENERGY RELEASED DURING THE ALPHA DECAY OF ^{238}U



$$Q = (238.05079 \text{ u}) c^2 - (234.04363 \text{ u} + 4.00260 \text{ u}) c^2$$

$$= (0.00456 \text{ u}) c^2$$

↑

$$= (0.00456 \text{ u}) \times 931.494013 \text{ MeV/u} = 4.25 \text{ MeV}$$

BETA DECAY

A NUCLEUS THAT ELECTRON (OR) POSITRON THE MASS OF AN ELECTRON DECAY.



$$U = \text{NEUTRON}$$

RADIO ACTIVE

THE DECAY

USED TO

RADIATION

STABLE

HA

N

RELEASED IN THE THE

$$-m_f c^2$$

ENERGY

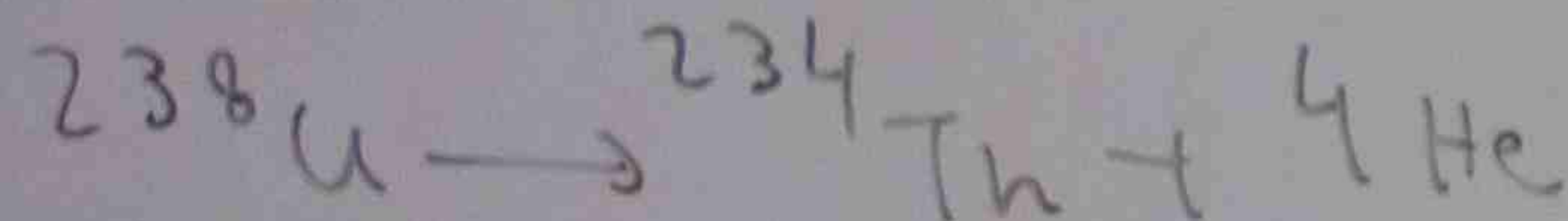
THE FOLLOWING ATOMIC

$$238\text{U} \rightarrow 234\text{Th} + 4\text{He} \quad 4.00260\text{u}$$

$$238\text{U} \rightarrow 234\text{Th} + 4\text{He} \quad 1.00783\text{u}$$

$$238\text{U}$$

THE ELEMENT PROCTACTINIUM
THE ENERGY RELEASED DURING
DECAY OF ^{238}U

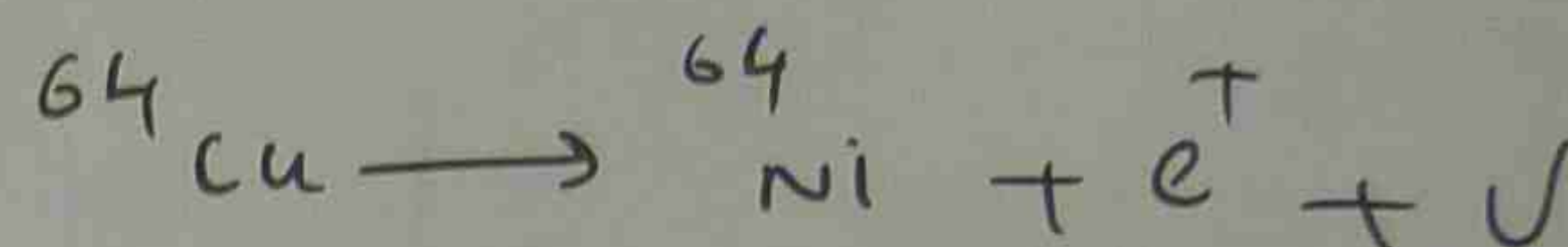
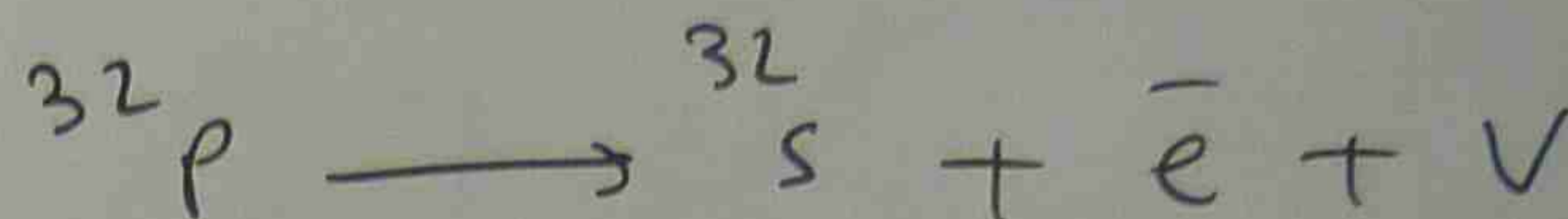


$$(238.0479\text{u})c^2 - (234.04363\text{u} + 4.00260\text{u})c^2$$

$$4 \times 931.494013 \text{ MeV/u} = 4.25 \text{ MeV}$$

BETA DECAY

A NUCLEUS THAT DECAYS SPONTANEOUSLY BY EMITTING AN ELECTRON (OR) POSITRON (A POSITIVELY CHARGED PARTICLE WITH THE MASS OF AN ELECTRON) IS SAID TO UNDERGO BETA DECAY.



ν = NEUTRINO - NEUTRAL PARTICLE WITH VERY SMALL MASS.

RADIO ACTIVE DATING

THE DECAY OF VERY LONG LIVE NUCLIDES CAN BE USED TO MEASURE THE AGE OF ROCK
RADIO NUCLIDE ^{40}K DECAYS TO ^{40}Ar
STABLE ISOTOPE OF NOBLE GAS ARGON

$$\text{HALF LIFE DECAY} = 1.25 \times 10^9 \text{ YEARS.}$$

$$N_t = N_0 e^{-\lambda t}$$

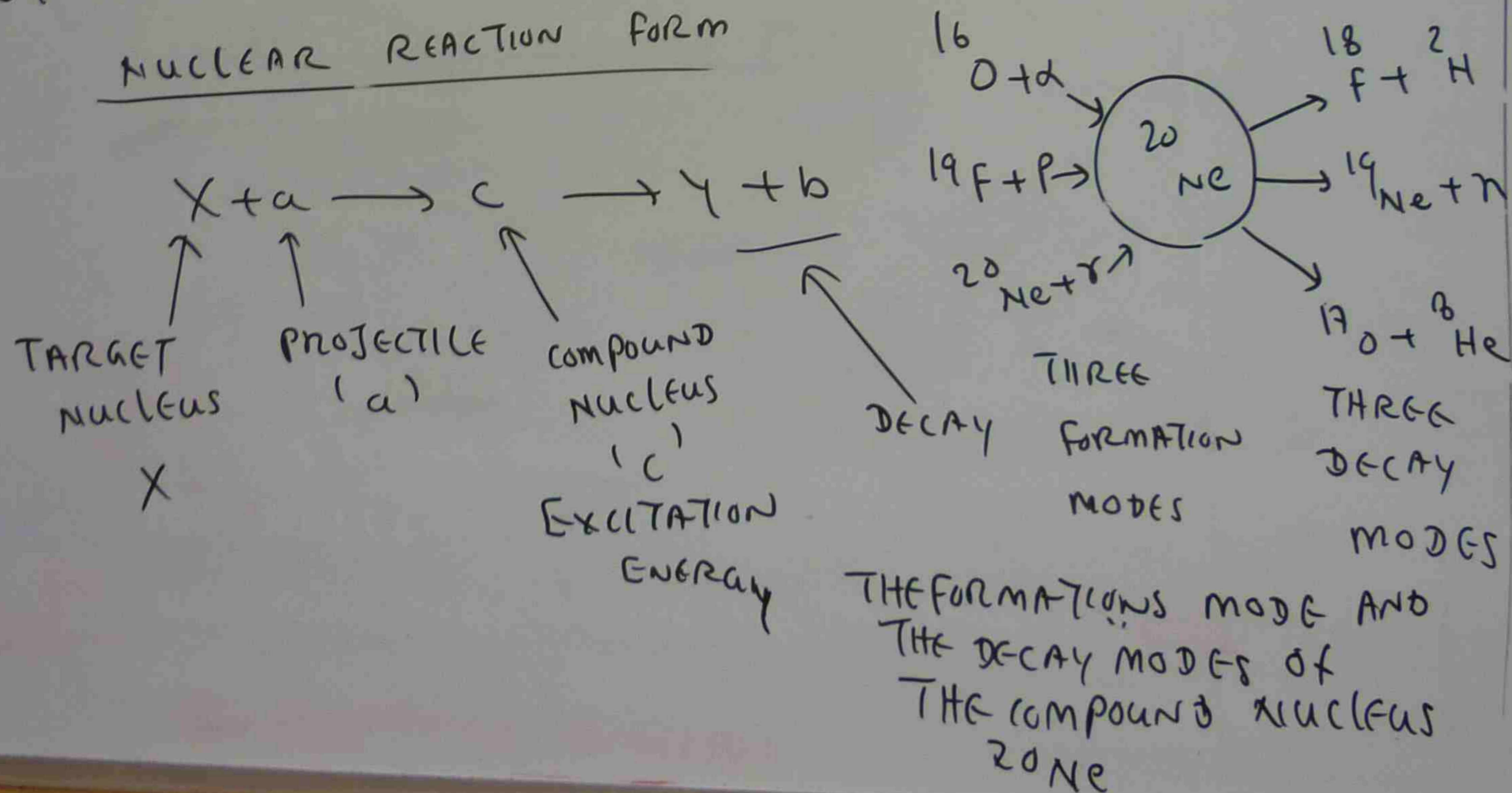
pm A GAMMA-RAY DOSE OF 3 Gy IS LETHAL TO HALF THE PEOPLE EXPOSED TO IT. IF THE EQUIVALENT ENERGY WERE ABSORBED AS HEAT, WHAT IS THE RISE IN BODY TEMPERATURE?

$$\Delta T = \frac{Q/m}{c} = \frac{3 \text{ J/kg}}{4180 \text{ J/kgK}} = 0.7 \text{ mK}$$

NUCLEAR MODEL

THE NUCLEONS MOVING AROUND WITHIN THE NUCLEUS AT RANDOM ARE IMAGINED TO INTERACT STRONGLY WITH EACH OTHER.

NUCLEAR REACTION FORM



COMBINED MO

A NUCLEUS IN OUTSIDE A COMBINED NEUTRONS CORE

THE OUTSIDE ESTABLISHED THE OUTSIDE IT AND S VIBRATION

THE COLLECT FEATURE



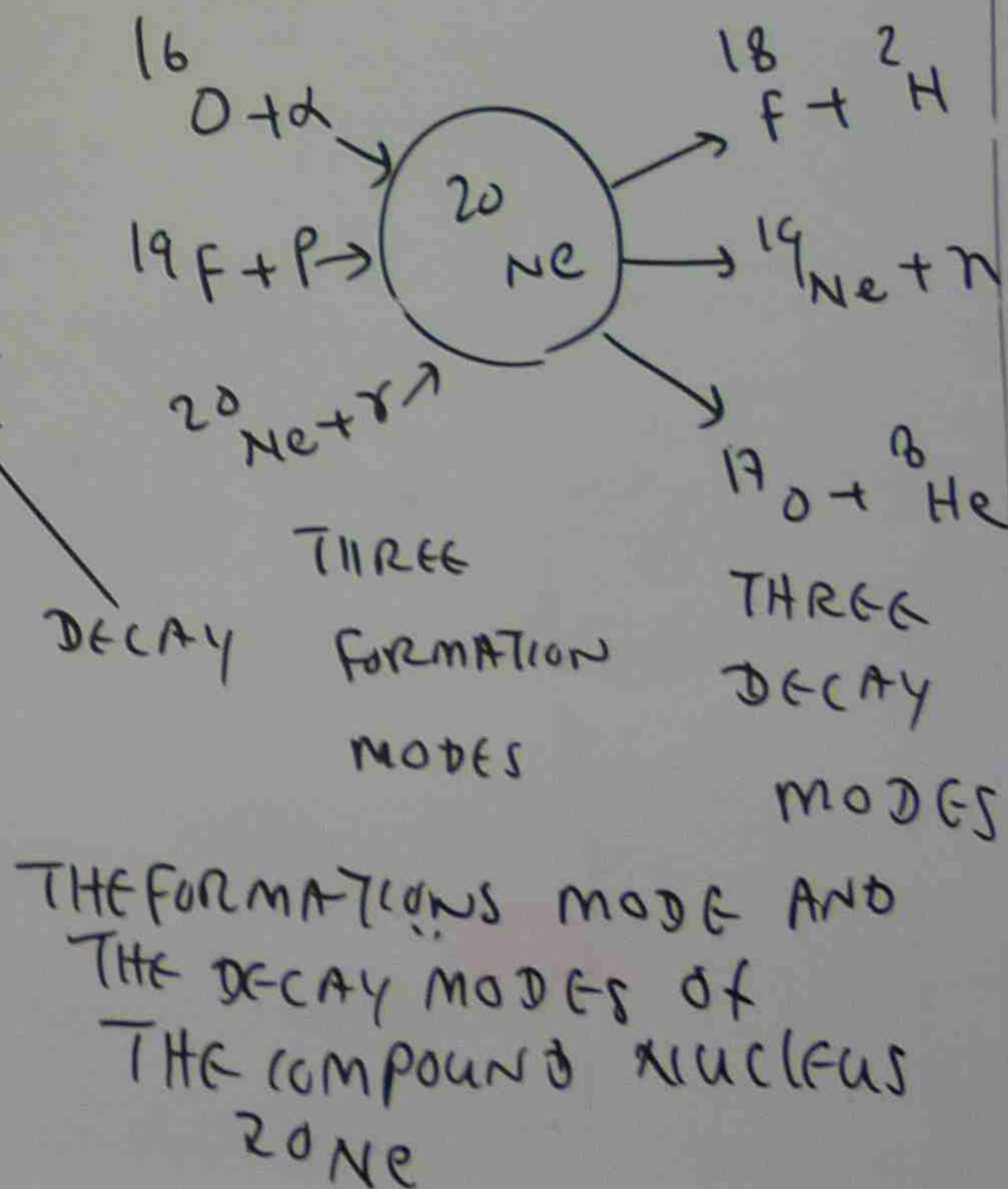
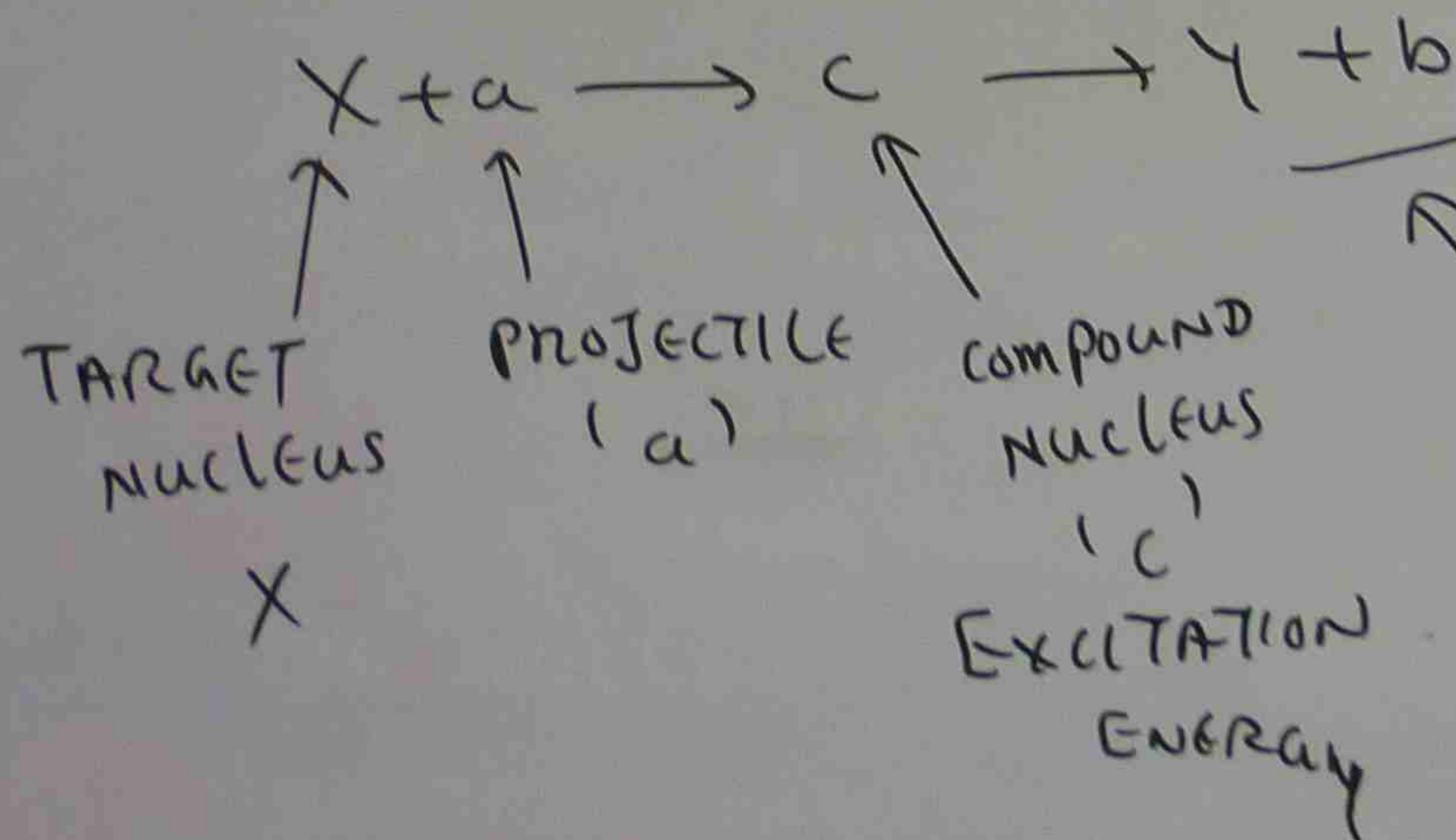
Qn A GAMMA-RAY DOSE OF 3 Gy IS LETHAL TO HALF THE PEOPLE EXPOSED TO IT. IF THE EQUIVALENT ENERGY WERE ABSORBED AS HEAT, WHAT IS THE RISE IN BODY TEMPERATURE?

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NUCLEAR MODEL

THE NUCLEONS MOVING AROUND WITHIN THE NUCLEUS AT RANDOM ARE IMAGINED TO INTERACT STRONGLY WITH EACH OTHER.

NUCLEAR REACTION FORM



COMBINED

A NUCLEUS OUTSIDE A NEUTRONS

THE OUT ESTABL

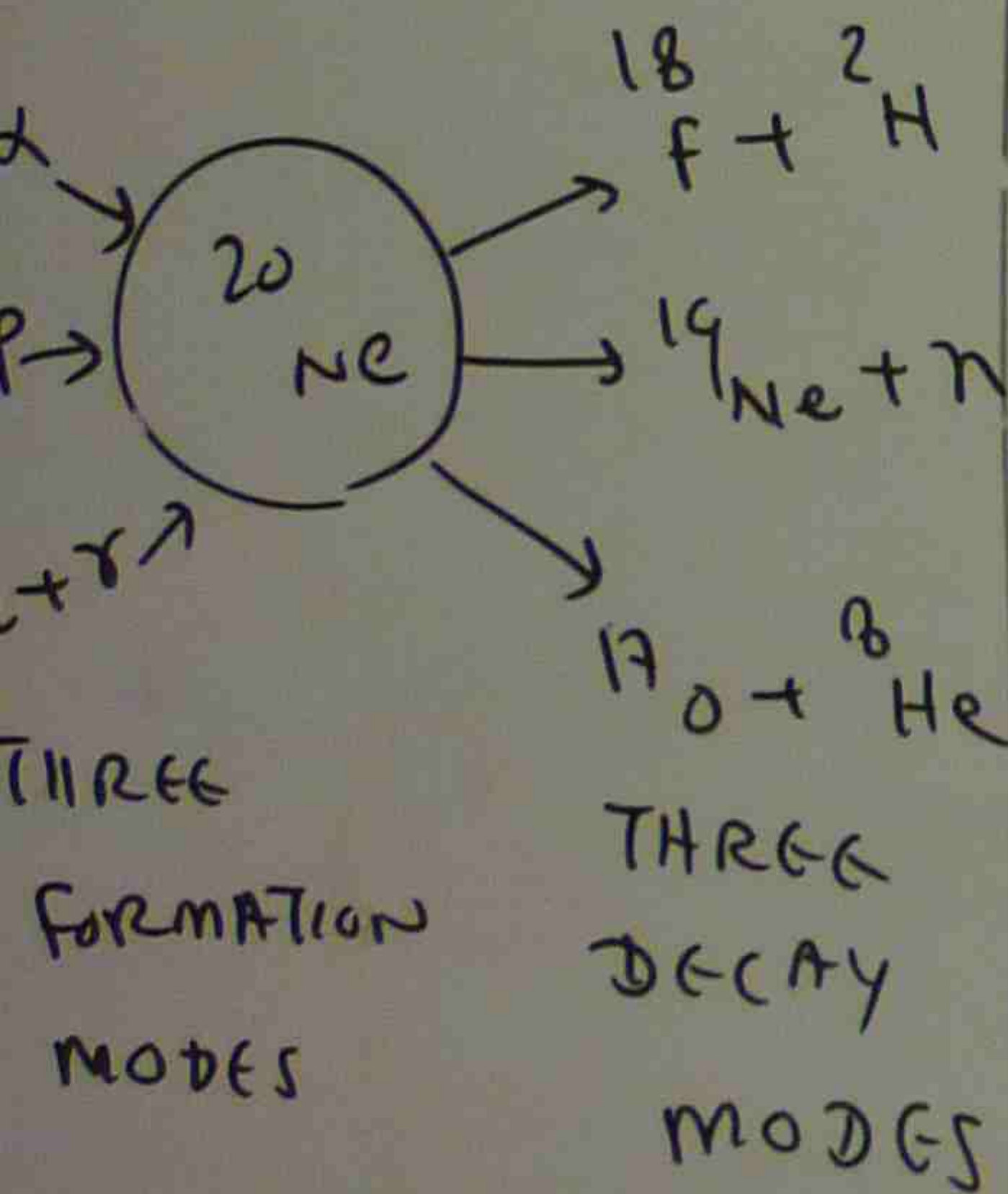
THE OUT IT AND VIBRAT

THE COL FEATUR

THAL TO
EQUIVALENT
THE RISE

$$= 0.7 \text{ mK}$$

E NUCLEUS AT
STRONGLY WITH EACH



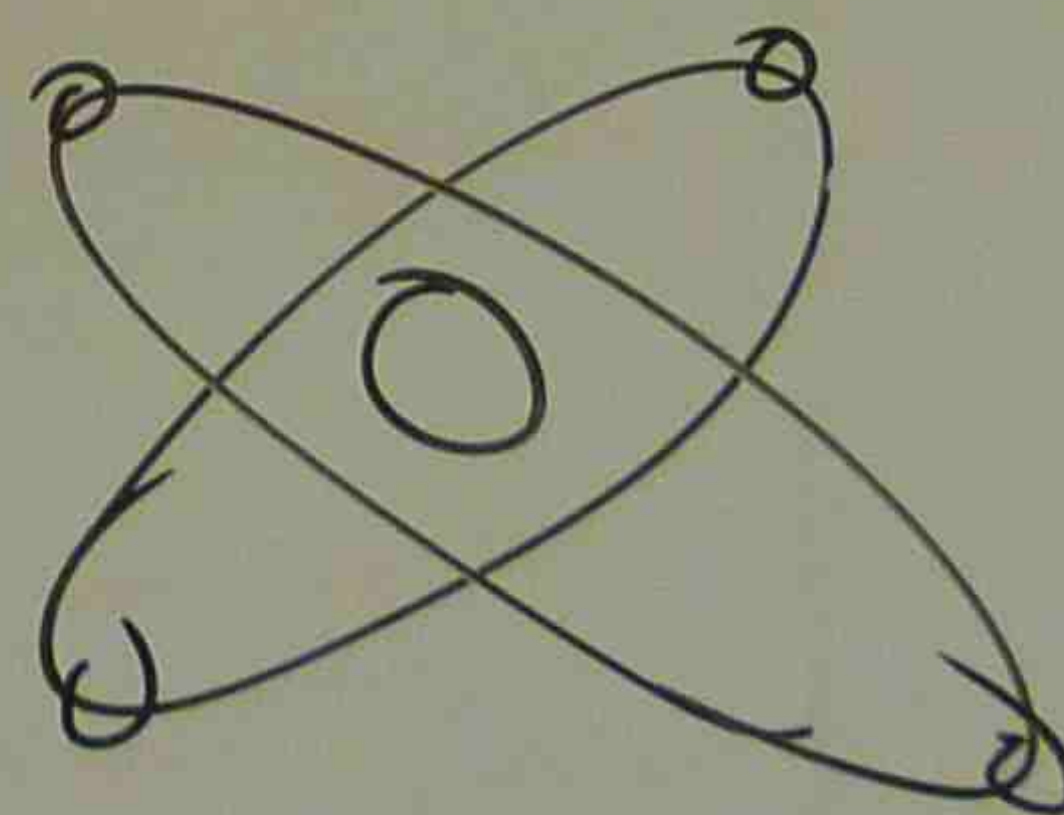
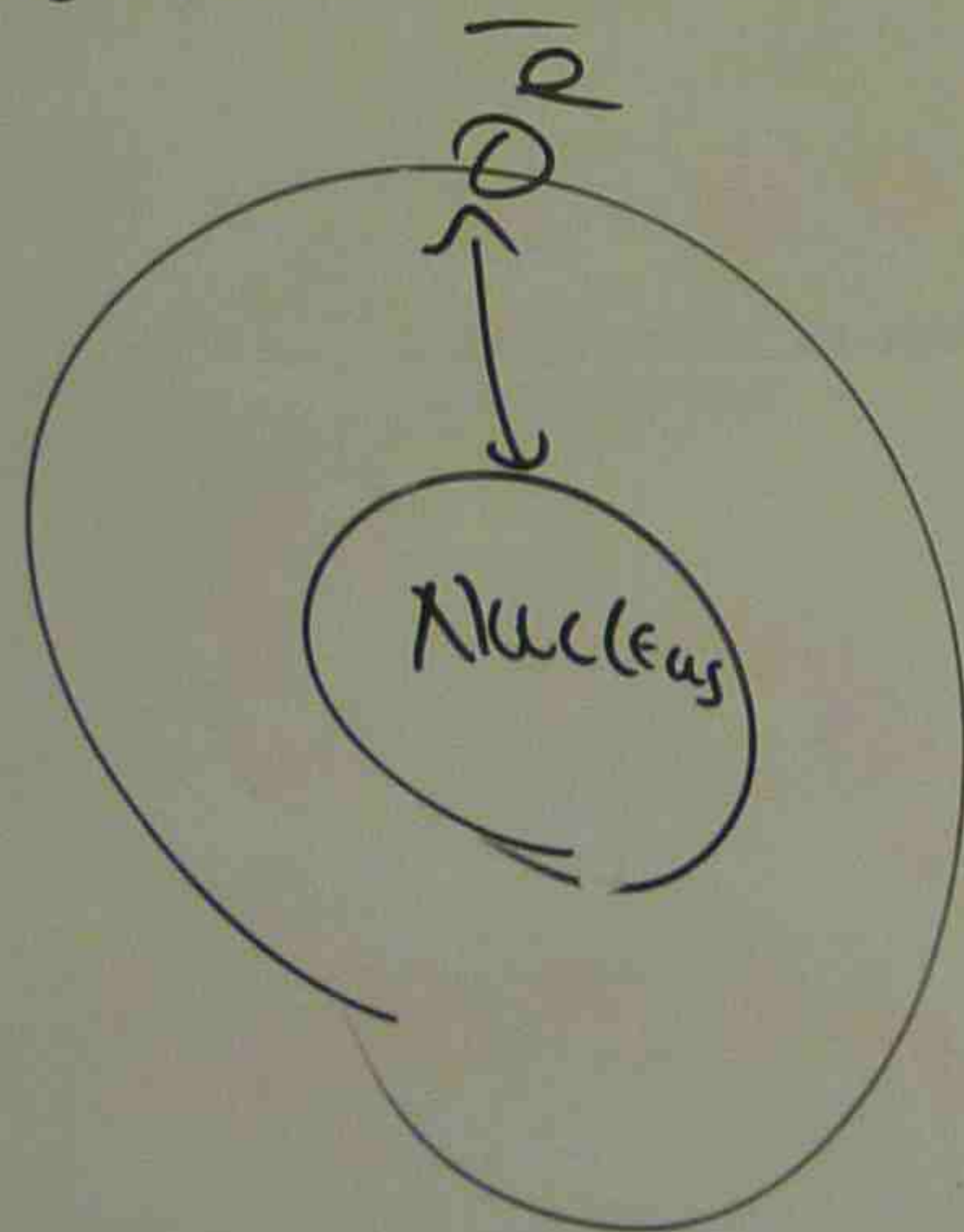
COMBINED MODEL

A NUCLEUS IN WHICH A SMALL NUMBER OF NEUTRONS (OR) PROTONS EXIST OUTSIDE A CORE OF CLOSED SHELL THAT CONTAINS MAGIC NUMBER OF NEUTRONS (OR) PROTONS.

THE OUTSIDE NUCLEONS OCCUPY QUANTIZED STATES IN A POTENTIAL WELL ESTABLISHED BY THE CENTRAL CORE.

THE OUTSIDE NUCLEONS INTERACT WITH CENTRAL CORE DEFORMING IT AND SETTING UP TIDAL WAVE MOTIONS OF ROTATION (OR) VIBRATION WITHIN IT.

THE COLLECTIVE MOTIONS OF THE CORE PRESERVE THE CENTRAL FEATURE OF THE COLLECTING MODEL.



ELECTRONS A
IT TAKES O
NUCLEONS A
FEW MILLIO
OF A FEW
A FEW MIL
THAN WE
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ENERGY I

ENERGY
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235
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MATTER

(or) protons exist
in a potential well.

core deforming
of rotation (or)

the central

Electrons are held in atoms by electro magnetic (Coulomb) force. It takes only a few electron volt to pull one of them out. Nucleons are held in nuclei by the strong force. It takes a few million electron volt to pull one of them out. This factor of a few million is reflected in the fact that we can extract a few million times more energy from a kilogram of uranium than we can from a kilogram of coal.

In both atomic and nuclear burning, the release of energy is accompanied by a decrease in mass.

$$Q = -\Delta m c^2$$

Energy released by 1 kg of matter

Form of matter	Process	Time
Water	A 50m water fall	5 sec
Coal	Burning	8 hr
Enriched UO_2	Fission in reactor	690 y
^{235}U	Complete fission	3×10^4 y
Hot deuterium gas	Complete fission	3×10^4 y
Matter and anti matter	Complete annihilation	3×10^7 y

Nuclear fission

Thermal neutrons

When ^{235}U absorbs a thermal neutron, it undergoes fission and releases energy and fission fragments.

^{140}Xe ($Z=54$)
 ^{94}Sr ($Z=38$)

Model for

Neutron

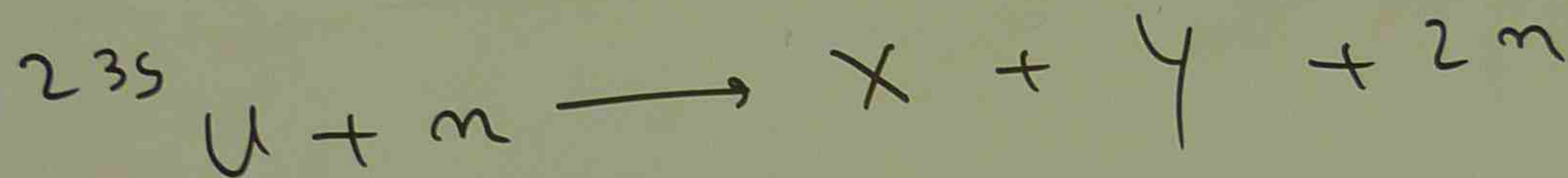
OMB FORCE
OF THEM OUT
IT TAKES A
THIS FACTOR
WE CAN EXTRACT
OF URANIUM

LEASE OF

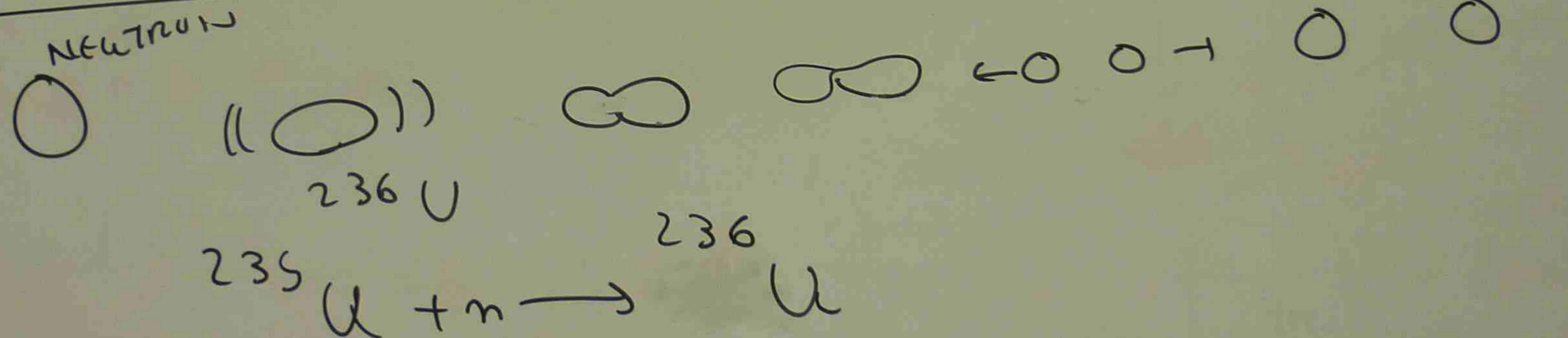
NUCLEAR FISSION

THERMAL NEUTRON - SLOWLY MOVING NEUTRONS IN THERMAL EQUILIBRIUM WITH SURROUNDING MATTER AT ROOM TEMPERATURE.

WHEN ^{235}U IS BOMBARDED WITH THERMAL NEUTRONS, A ^{235}U NUCLEUS ABSORBS A THERMAL NEUTRON PRODUCING A COMPOUND NUCLEUS ^{236}U IN A HIGHLY EXCITED STATE. IT IS THIS NUCLEUS THAT ACTUALLY UNDERGOES FISSION, SPLITTING INTO TWO FRAGMENTS. THESE FRAGMENTS BETWEEN THEM - RAPIDLY EMIT TWO NEUTRONS LEAVING ^{140}Xe ($Z=54$) AND ^{94}Sr ($Z=38$) AS FISSION FRAGMENTS.



MODEL FOR NUCLEAR FISSION



NUCLEAR REACTOR



NEUTRON
SOME OF NEU
WILL LEAK
NEUTRON
NEUTRONS P
WITH KING
THE FAST
WITH SU

A large electric generating station is powered by a pressurized-water nuclear reactor. The thermal power produced in the reactor core is 3400 MW, and 1100 MW of electricity is generated by the station. The *fuel charge* is 8.60×10^4 kg of uranium, in the form of uranium oxide, distributed among 5.70×10^4 fuel rods. The uranium is enriched to 3.0% ^{235}U .

(a) What is the station's efficiency?

KEY IDEA

The efficiency for this power plant or any other energy device is given by this: Efficiency is the ratio of the output power (rate at which useful energy is provided) to the input power (rate at which energy must be supplied).

Calculation: Here the efficiency (eff) is

$$\begin{aligned} \text{eff} &= \frac{\text{useful output}}{\text{energy input}} = \frac{1100 \text{ MW (electric)}}{3400 \text{ MW (thermal)}} \\ &= 0.32, \text{ or } 32\%. \end{aligned} \quad (\text{Answer})$$

The efficiency—as for all power plants—is controlled by the second law of thermodynamics. To run this plant, energy at the rate of $3400 \text{ MW} - 1100 \text{ MW}$, or 2300 MW must be discharged as thermal energy to the envi-

and (2) the nonfission fourth that rate.

Calculations: The to

$$(1 + 0.25)(1.06 \times 10^4)$$

We next need the mass of the fuel. We know the molar mass for uranium, but that molar mass is for ^{238}U , not ^{235}U . Instead, we shall use the atomic mass of ^{235}U in atomic mass units (u). Thus, the mass of each ^{235}U atom is 235 u ($1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$). Then the rate at which

$$\begin{aligned} \frac{dM}{dt} &= (1.33 \times 10^2 \text{ kg/s}) \\ &= 5.19 \times 10^{-5} \text{ kg/s} \end{aligned}$$

(d) At this rate of fuel consumption, the fuel supply of ^{235}U lasts

Calculation: At start of ^{235}U is 3.0% of the total. So, the time T required to use up ^{235}U at the steady rate

$$(0.030)(8.60 \times 10^4 \text{ kg})$$

$$\text{energy input} = 3400 \text{ MW (thermal)} \\ = 0.32, \text{ or } 32\%. \quad (\text{Answer})$$

The efficiency—as for all power plants—is controlled by the second law of thermodynamics. To run this plant, energy at the rate of $3400 \text{ MW} - 1100 \text{ MW}$, or 2300 MW , must be discharged as thermal energy to the environment.

(b) At what rate R do fission events occur in the reactor core?

KEY IDEAS (1) The fission events provide the input power P of 3400 MW ($= 3.4 \times 10^9 \text{ J/s}$). (2) From Eq. 43-6, the energy Q released by each event is about 200 MeV .

Calculation: For steady-state operation (P is constant), we find

$$R = \frac{P}{Q} = \left(\frac{3.4 \times 10^9 \text{ J/s}}{200 \text{ MeV/fission}} \right) \left(\frac{1 \text{ MeV}}{1.60 \times 10^{-13} \text{ J}} \right) \\ = 1.06 \times 10^{20} \text{ fissions/s} \\ \approx 1.1 \times 10^{20} \text{ fissions/s.} \quad (\text{Answer})$$

(c) At what rate (in kilograms per day) is the ^{235}U fuel

Calculation: At
of ^{235}U is 3.0%
So, the time T
 ^{235}U at the stead

$$T = \frac{(0.03)}{}$$

In practice, the
batches) before

(e) At what rate
of energy by the

KEY IDEA The
forms of energy
duces the input
sion capture of
affect the rate at

Calculation: Fr
write

$$\frac{dm}{dt} =$$

power of 3400 MW ($= 3.4 \times 10^9$ J/s). (2) From Eq. 43-6, the energy Q released by each event is about 200 MeV.

Calculation: For steady-state operation (P is constant), we find

$$\begin{aligned} R &= \frac{P}{Q} = \left(\frac{3.4 \times 10^9 \text{ J/s}}{200 \text{ MeV/fission}} \right) \left(\frac{1 \text{ MeV}}{1.60 \times 10^{-13} \text{ J}} \right) \\ &= 1.06 \times 10^{20} \text{ fissions/s} \\ &\approx 1.1 \times 10^{20} \text{ fissions/s.} \end{aligned} \quad (\text{Answer})$$

(c) At what rate (in kilograms per day) is the ^{235}U fuel disappearing? Assume conditions at start-up.

KEY IDEA ^{235}U disappears due to two processes: (1) the fission process with the rate calculated in part (b)

KEY IDEA

forms of energy
duces the input
sion capture of
affect the rate

Calculation: P
write

$$\frac{dm}{dt}$$

We see that the
of one common
fuel consumption

for this power plant or by this: Efficiency is the rate at which useful energy is power (rate at which energy

ciency (eff) is

$$= \frac{1100 \text{ MW (electric)}}{3400 \text{ MW (thermal)}}$$

(Answer)

power plants—is controlled dynamics. To run this plant, 0 MW = 1100 MW, or 2300 s thermal energy to the envi-

on events occur in the reactor

n events provide the input $4 \times 10^9 \text{ J/s}$. (2) From Eq. 43-6, each event is about 200 MeV.

ate operation (P is constant),

$$\left(\frac{4 \times 10^9 \text{ J/s}}{\text{fission}} \right) \left(\frac{1 \text{ MeV}}{1.60 \times 10^{-13} \text{ J}} \right)$$

Thus, the mass of each ^{235}U atom is 235 u ($= 3.90 \times 10^{-25} \text{ kg}$). Then the rate at which the ^{235}U fuel disappears is

$$\begin{aligned} \frac{dM}{dt} &= (1.33 \times 10^{20} \text{ atoms/s})(3.90 \times 10^{-25} \text{ kg/atom}) \\ &= 5.19 \times 10^{-5} \text{ kg/s} \approx 4.5 \text{ kg/d.} \end{aligned} \quad (\text{Answer})$$

(d) At this rate of fuel consumption, how long would the fuel supply of ^{235}U last?

Calculation: At start-up, we know that the total mass of ^{235}U is 3.0% of the $8.60 \times 10^4 \text{ kg}$ of uranium oxide. So, the time T required to consume this total mass of ^{235}U at the steady rate of 4.5 kg/d is

$$T = \frac{(0.030)(8.60 \times 10^4 \text{ kg})}{4.5 \text{ kg/d}} \approx 570 \text{ d.} \quad (\text{Answer})$$

In practice, the fuel rods must be replaced (usually in batches) before their ^{235}U content is entirely consumed.

(e) At what rate is mass being converted to other forms of energy by the fission of ^{235}U in the reactor core?

KEY IDEA

The conversion of mass energy to other forms of energy is linked only to the fissioning that produces the input power (3400 MW) and not to the nonfission capture of neutrons (although both these processes affect the rate at which ^{235}U is consumed).

POWERED BY A
THERMAL POWER
AND 1100 MW
ION.

ANUM.
DISTRIBUTED
ENRICHED

OCCUR IN
²³⁵U FUEL

How long

?

CONVERTED TO
MASS OF ²³⁵U IN

$$\begin{aligned} \text{(a)} \quad \text{Efficiency} &= \frac{\text{USEFUL OUT PUT}}{\text{ENERGY IN PUT}} \\ &= \frac{1100 \text{ MW}}{3400 \text{ MW}} \\ &= 0.32 \quad (\text{OR}) \quad 32\% \end{aligned}$$

$$\begin{aligned} \text{(b)} \quad R = \frac{P}{Q} &= \frac{3.4 \times 10^9 \text{ J/s}}{200 \text{ MeV / fission}} \times \frac{1 \text{ MeV}}{1.6 \times 10^{-13} \text{ J}} \\ &= 1.06 \times 10^{20} \text{ fissions / s} \\ &= 1.1 \times 10^{20} \text{ fissions / s} \end{aligned}$$

$$\begin{aligned} \text{(c)} \quad (1 + \frac{0.25}{\text{Efficiency}}) &\times 1.06 \times 10^{20} \text{ Atoms / sec} \\ &= 1.33 \times 10^{20} \text{ Atoms} \end{aligned}$$

$$\begin{aligned} \frac{dm}{dt} &= 1.33 \times 10^{20} \text{ Atoms / s} \times 3.9 \times 10^{-25} \text{ kg / Atom} \\ &= 5.19 \times 10^{-5} \text{ kg / s} \\ &= 5.19 \times 10^{-5} \times 3600 \text{ sec} \times 24 \text{ HR} \\ &= 4.5 \text{ kg / DAY} \end{aligned}$$

(d) ²³⁵U

DAY

(e)

$$\frac{dm}{dt} =$$

$$E = mc^2$$

$$\frac{E}{c^2} = m$$

$$\therefore \frac{dm}{dt} = \frac{d}{dt} \frac{E}{c}$$

put
T

2) 32%

$$\frac{J/s}{\text{fission}} \times \frac{1 \text{ MeV}}{1.6 \times 10^{-13} \text{ J}}$$

fissions/s

$$1.06 \times 10^{20} \text{ Atom/sec} \\ = 1.33 \times 10^{20} \text{ Atom}$$

$$\text{atoms/s} \times 3.9 \times 10^{-25} \text{ ug/Atom}$$

ug/s

x 3600 sec x 24 HR

/DAY

(d) ^{235}U 3% of $8.6 \times 10^4 \text{ ug}$ = $0.03 \times 8.6 \times 10^4 \text{ ug}$

$$\text{DAY} = \frac{0.03 \times 8.6 \times 10^4 \text{ ug}}{4.5 \text{ ug/DAY}} = 570 \text{ DAYS}$$

(e)

$$\frac{dm}{dt} = \frac{dE/dt}{c^2} = \frac{3400 \times 10^6 \text{ W}}{(3 \times 10^{10})^2}$$

$$E = mc^2$$

$$\frac{E}{c^2} = m$$

$$\therefore \frac{dm}{dt} = \frac{d}{dt} \frac{E}{c^2}$$

$$= 3.8 \times 10^{-9} \text{ ug/s}$$

$$= 3.3 \text{ g/DAY}$$

$$g = 0.03 \times 8.6 \times 10^4 \text{ kg}$$

$$= 570 \text{ DAYS}$$

$$\frac{10^6 \text{ W}}{10^{10} \text{ J}^2}$$

$$9 \text{ kg/s}$$

$$1 \text{ DAY}$$

NUCLEAR FUSION

THE BINDING ENERGY CURVE OF NUCLEAR ENERGY SHOWS THAT THE NUCLEI COMBINE TO FORM A SINGLE LARGER NUCLEUS A PROCESS CALLED NUCLEAR FUSION.

COULOMB BARRIER DEPENDS ON THE CHARGES AND THE RADII OF TWO INTERACTING MODELS.

THEIRMO NUCLEAR FUSION

$$K = \frac{1}{2} m v^2$$

K = KINETIC ENERGY CORRESPONDING TO THE MOST PROBABLE SPEED

AT ROOM TEMPERATURE, $K = 0.03 \text{ eV}$.

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